

# Nested Functions & Memory Management

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# This Lecture

## Functions, Revisited

- activation records
- nested functions
- static links

## Miscellaneous

- Statements
- String Constants
- Execution Environment

## Memory Management

- memory safety
- garbage collection algorithms

# Functions, Revisited

# Functions in ChocoPy

function name

local variables

return to caller

call function

```
def callee(x : int, y : int, z: int) → int:  
    a : int = 1  
    b : int = 2  
    return x + y + z + a + b  
  
def caller():  
    d : int = 0  
    d = callee(345, 4357, 235)
```

formal parameters

actual parameters

# Operational Semantics: Invoke Function

$$S_0(E(f)) = (x_1, \dots, x_n, y_1 = e'_1, \dots, y_k = e'_k, b_{body}, E_f)$$

$$n, k \geq 0$$

$$G, E, S_0 \vdash e_1 : v_1, S_1, -$$

:

$$G, E, S_{n-1} \vdash e_n : v_n, S_n, -$$

$$l_{x1}, \dots, l_{xn}, l_{y1}, \dots, l_{yk} = newloc(S_n, n+k)$$

$$E' = E_f[l_{x1}/x_1] \dots [l_{xn}/x_n][l_{y1}/y_1] \dots [l_{yk}/y_k]$$

$$G, E', S_n \vdash e'_1 : v'_1, S_n, -$$

:

$$G, E', S_n \vdash e'_k : v'_k, S_n, -$$

$$S_{n+1} = S_n[v_1/l_{x1}] \dots [v_n/l_{xn}][v'_1/l_{y1}] \dots [v'_k/l_{yk}]$$

$$G, E', S_{n+1} \vdash b_{body} : -, S_{n+2}, R$$

$$R' = \begin{cases} None, & \text{if } R \text{ is } - \\ R, & \text{otherwise} \end{cases}$$

---

$$G, E, S_0 \vdash f(e_1, \dots, e_n) : R', S_{n+2}, -$$

[INVOKED]

# Operational Semantics: Define Function

$g_1, \dots, g_L$  are the variables explicitly declared as global in  $f$

$y_1 = e_1, \dots, y_k = e_k$  are the local variables and nested functions defined in  $f$

$E_f = E[G(g_1)/g_1] \dots [G(g_L)/g_L]$

$v = (x_1, \dots, x_n, y_1 = e_1, \dots, y_k = e_k, b_{body}, E_f)$

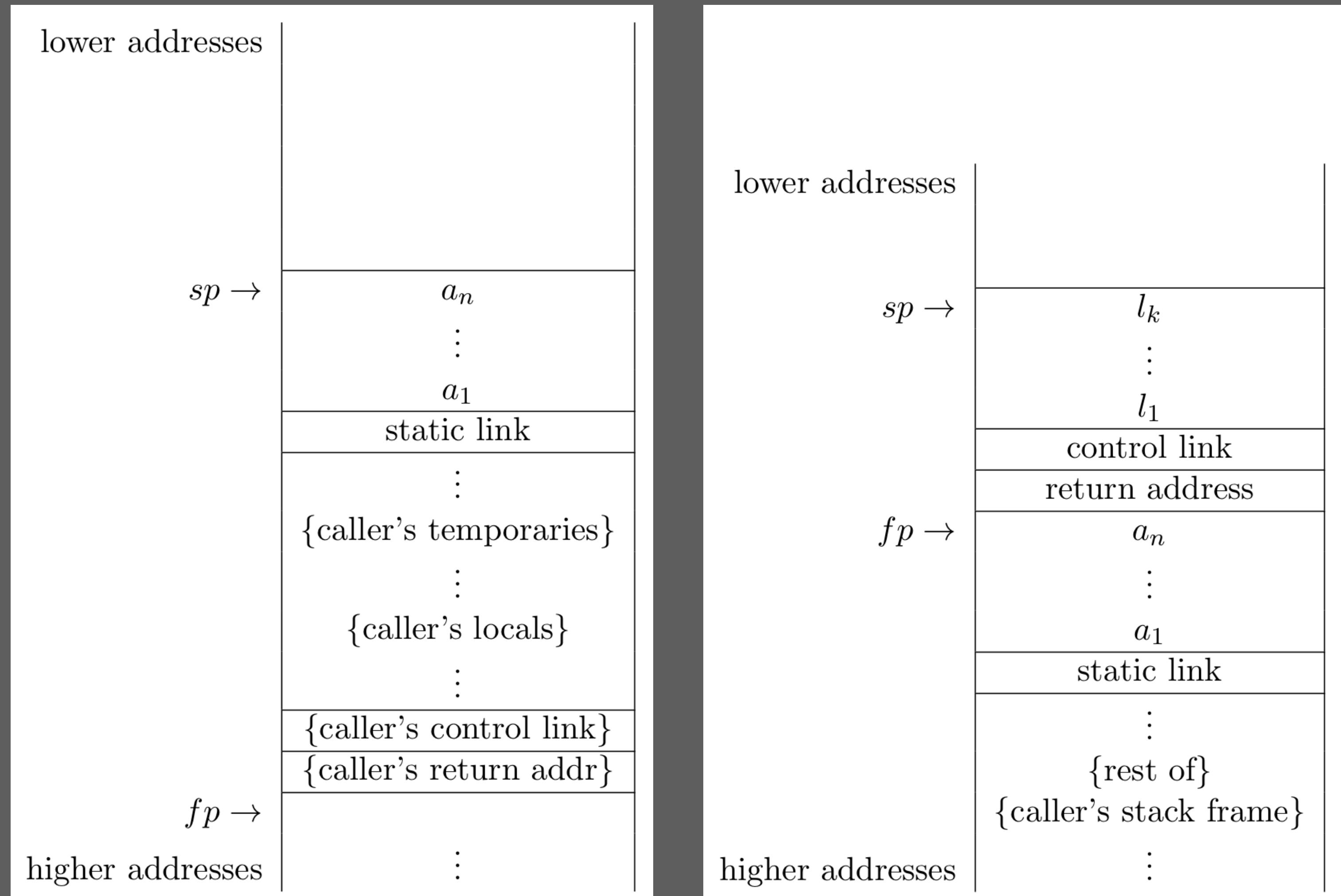
---

$G, E, S \vdash \text{def } f(x_1:T_1, \dots, x_n:T_n) \llbracket \rightarrow T_0 \rrbracket^? : b : v, S, -$

[FUNC-METHOD-DEF]

# Activation Records

```
def callee(x : int, y : int, z: int) → int:  
    a : int = 1  
    b : int = 2  
    return x + y + z + a + b  
  
def caller():  
    d : int = 0  
    d = callee(345, 4357, 235)
```



before/after invocation

during callee's execution

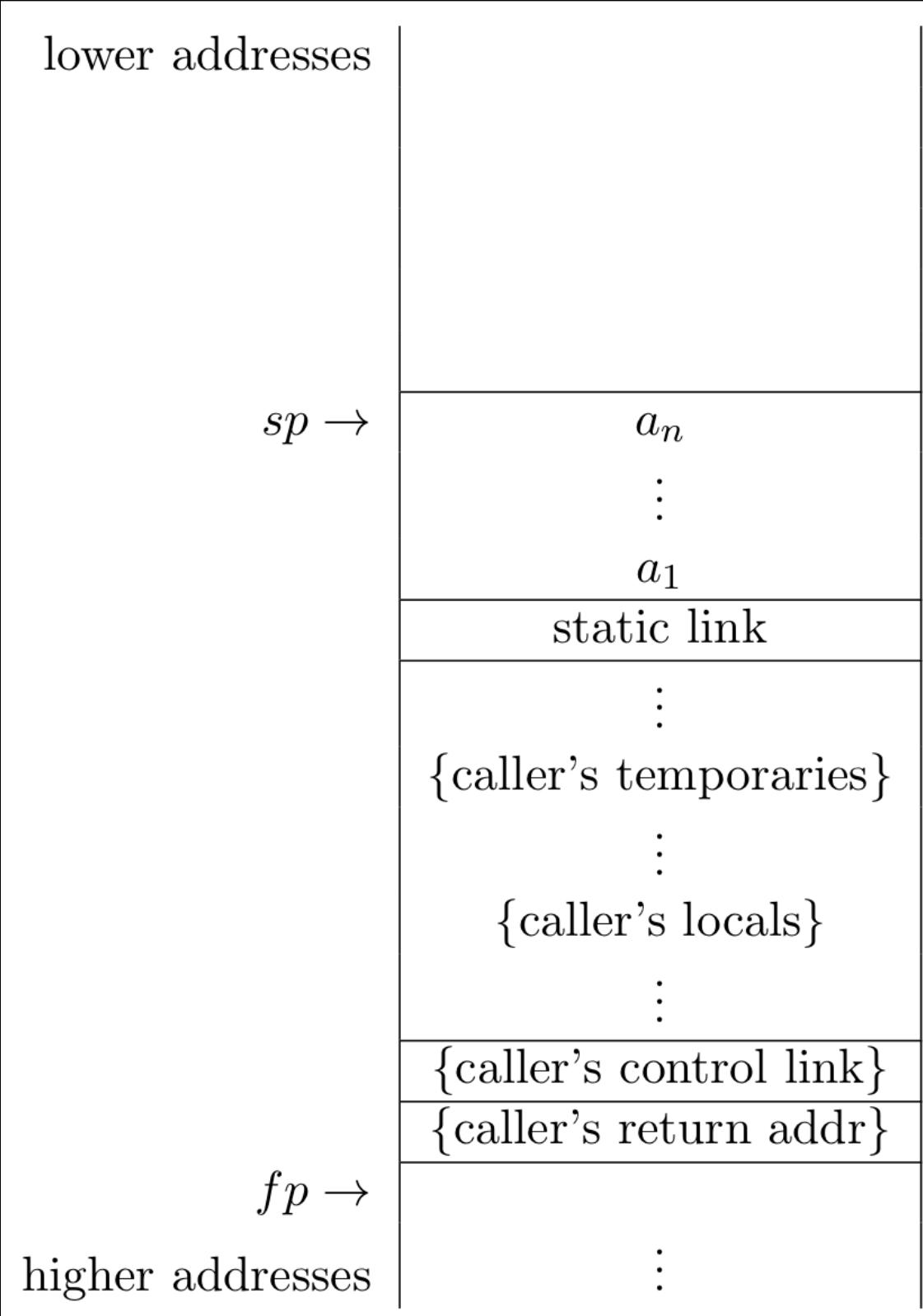
# Calling Convention: Caller

```

def callee(x : int, y : int, z: int) → int:
    a : int = 1
    b : int = 2
    return x + y + z + a + b

def caller():
    d : int = 0
    d = callee(345, 4357, 235)

```



```

.globl $caller

$caller:
    addi   sp, sp, -@$caller.size      # Reserve space for stack frame
    sw     ra, @$caller.size-4(sp)    # Save return address
    sw     fp, @$caller.size-8(sp)    # Save control link (fp)
    addi   fp, sp, @$caller.size     # New fp is at old SP.
    li    a0, 0                      # Load integer constant 0
    sw    a0, -12(fp)                # init local variable $caller.d
    addi   sp, sp, -12               # allocate space for actual arguments
    li    a0, 235                   # Load integer constant 235
    sw    a0, 0(sp)                 # push argument on stack
    li    a0, 4357                  # Load integer constant 4357
    sw    a0, 4(sp)                 # push argument on stack
    li    a0, 345                   # Load integer constant 345
    sw    a0, 8(sp)                 # push argument on stack
    jal   $callee                  # call function $callee
    addi   sp, fp, -@$caller.size  # restore stack pointer
    sw    a0, -12(fp)              # write local variable $caller.d
label_97:
    .equiv @$caller.size, 12        # Epilogue of $caller
    lw    ra, -4(fp)                # Restore return address
    lw    fp, -8(fp)                # Restore caller's fp
    jr    ra                       # Return to caller

```

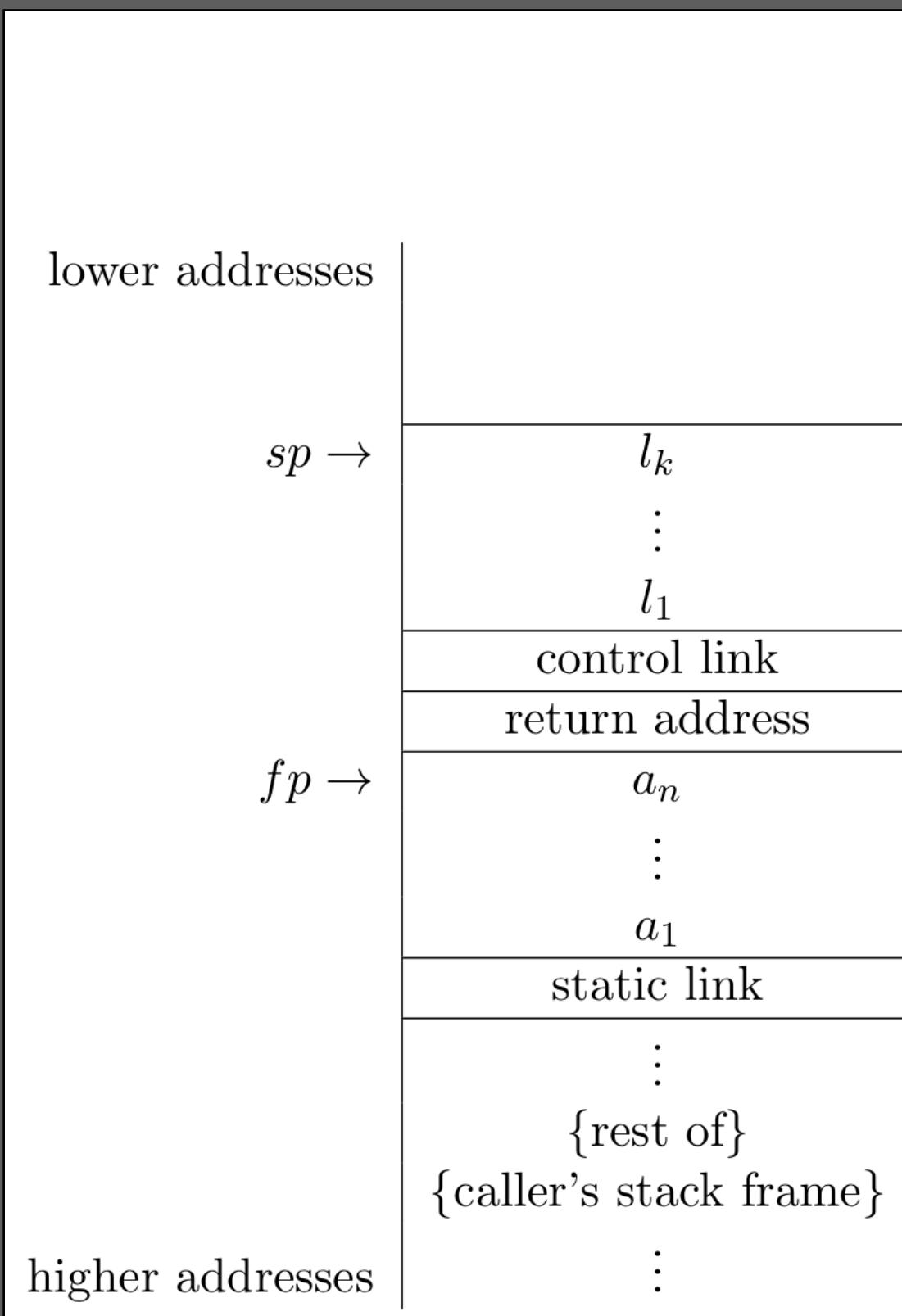
# Calling Convention: Callee

```

def callee(x : int, y : int, z: int) → int:
    a : int = 1
    b : int = 2
    return x + y + z + a + b

def caller():
    d : int = 0
    d = callee(345, 4357, 235)

```



```

$callee:
    addi  sp, sp, -@$callee.size      # Reserve space for stack frame
    sw    ra, @$callee.size-4(sp)    # Save return address
    sw    fp, @$callee.size-8(sp)    # Save control link (fp)
    addi  fp, sp, @$callee.size     # New fp is at old SP.
    li    a0, 1                      # Load integer constant 1
    sw    a0, -12(fp)               # init local variable $callee.a
    li    a0, 2                      # Load integer constant 2
    sw    a0, -16(fp)               # init local variable $callee.b
    lw    a0, 8(fp)                 # read formal parameter $callee.x
    lw    t1, 4(fp)                 # read formal parameter $callee.y
    add   a0, a0, t1                # Addition
    lw    t1, 0(fp)                 # read formal parameter $callee.z
    add   a0, a0, t1                # Addition
    lw    t1, -12(fp)               # read local variable $callee.a
    add   a0, a0, t1                # Addition
    lw    t1, -16(fp)               # read local variable $callee.b
    add   a0, a0, t1                # Addition

    j    label_96

label_96:
    .equiv @$callee.size, 16        # Epilogue of $callee
    lw    ra, -4(fp)               # Restore return address
    lw    fp, -8(fp)               # Restore caller's fp
    jr   ra                      # Return to caller

```

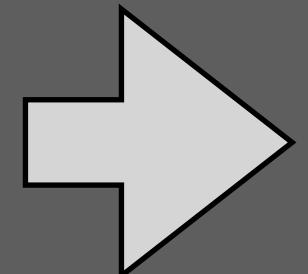
# Calling a Function in Function Call Argument

```
def callee(x : int, y : int, z: int) → int:  
    a : int = 1  
    b : int = 2  
    return x + y + z + a + b  
  
def inc(i : int) → int:  
    return i + 1  
  
def caller():  
    d : int = 0  
    d = callee(345 + 81 + inc(13), 4357, 235)
```

problem: callee overwrites registers for temporaries

# Calling a Function in Function Call Argument

```
def callee(x : int, y : int, z: int) → int:  
    a : int = 1  
    b : int = 2  
    return x + y + z + a + b  
  
def inc(i : int) → int:  
    return i + 1  
  
def caller():  
    d : int = 0  
    d = callee(345 + 81 + inc(13), 4357, 235)
```



```
def callee(x : int, y : int, z : int) → int:  
    a : int = 1  
    b : int = 2  
    return x + y + z + a + b  
  
def inc(i : int) → int:  
    return i + 1  
  
def caller( ) :  
    d : int = 0  
    temp_2 : int = 0  
    temp_2 = inc(13)  
    d = callee(345 + 81 + temp_2, 4357, 235)
```

problem: callee overwrites registers for temporaries

solution: lift calls from call expressions  
store result in local variable

# Calling a Function in Function Call Argument

```
def callee(x : int, y : int, z: int) → int:  
    a : int = 1  
    b : int = 2  
    return x + y + z + a + b  
  
def inc(i : int) → int:  
    return i + 1  
  
def caller():  
    d : int = 0  
    d = callee(345 + 81 + inc(13), 4357, 235)
```

problem: callee overwrites registers for temporaries

```
def callee(x : int, y : int, z : int) → int:  
    a : int = 1  
    b : int = 2  
    return x + y + z + a + b  
  
def inc(i : int) → int:  
    return i + 1  
  
def caller( ) :  
    d : int = 0  
    temp_2 : int = 0  
    temp_2 = inc(13)  
    d = callee(345 + 81 + temp_2, 4357, 235)
```

solution: lift calls from call expressions  
store result in local variable

```
$caller:  
    addi    sp, sp, -@$caller.size      # Reserve space for stack frame  
    sw     ra, @$caller.size-4(sp)    # Save return address  
    sw     fp, @$caller.size-8(sp)    # Save control link (fp)  
    addi    fp, sp, @$caller.size     # New fp is at old SP.  
    li     a0, 0                      # Load integer constant 0  
    sw     a0, -12(fp)                # init local variable $caller.d  
    li     a0, 0                      # Load integer constant 0  
    sw     a0, -16(fp)                # init local variable $caller.temp_2  
    addi    sp, sp, -4                 # allocate space for actual arguments  
    li     a0, 13                     # Load integer constant 13  
    sw     a0, 0(sp)                  # push argument on stack  
    jal    $inc                      # call function $inc  
    addi    sp, fp, -@$caller.size    # restore stack pointer  
    sw     a0, -16(fp)                # write local variable $caller.temp_2  
    addi    sp, sp, -12                # allocate space for actual arguments  
    li     a0, 235                   # Load integer constant 235  
    sw     a0, 0(sp)                  # push argument on stack  
    li     a0, 4357                  # Load integer constant 4357  
    sw     a0, 4(sp)                  # push argument on stack  
    li     a0, 345                   # Load integer constant 345  
    addi   a0, a0, 81                # Add with constant 81  
    lw     t1, -16(fp)                # read local variable $caller.temp_2  
    add    a0, a0, t1                # Addition  
    sw     a0, 8(sp)                  # push argument on stack  
    jal    $callee                   # call function $callee  
    addi   sp, fp, -@$caller.size    # restore stack pointer  
    sw     a0, -12(fp)                # write local variable $caller.d  
  
label_98:  
.equiv @$caller.size, 16          # Epilogue of $caller  
    lw     ra, -4(fp)                # Restore return address  
    lw     fp, -8(fp)                # Use control link to restore caller's fp  
    jr     ra                       # Return to caller
```

# Shadowing

# Shadowing

```
a : int = 10

def foo(a: int) → int:
    def foo(b : int) → int:
        a : int = 20
        return a + b
    return foo(a + 10)

print(foo(a))
```

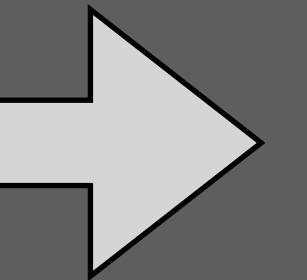
problem: identifier can be used for  
multiple declarations

# Shadowing

```
a : int = 10

def foo(a: int) → int:
    def foo(b : int) → int:
        a : int = 20
        return a + b
    return foo(a + 10)

print(foo(a))
```



```
$a : int = 10

def $foo($foo.a: int) → int:
    def $foo.foo($foo.foo.b : int) → int:
        $foo.foo.a : int = 20
        return $foo.foo.a + $foo.foo.b
    return $foo($foo.a + 10)

print($foo($a))
```

problem: identifier can be used for multiple declarations

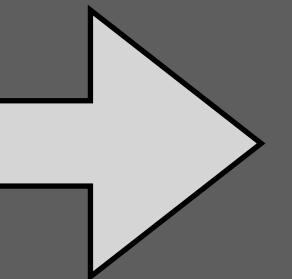
solution: rename identifiers so that declarations have unique names

# Shadowing

```
a : int = 10

def foo(a: int) → int:
    def foo(b : int) → int:
        a : int = 20
        return a + b
    return foo(a + 10)

print(foo(a))
```



```
$a : int = 10

def $foo($foo.a: int) → int:
    def $foo.foo($foo.foo.b : int) → int:
        $foo.foo.a : int = 20
        return $foo.foo.a + $foo.foo.b
    return $foo.foo($foo.a + 10)

print($foo($a))
```

problem: identifier can be used for multiple declarations

solution: rename identifiers so that declarations have unique names

implementation: dynamic rule to rename function and variable names (sketch)

```
f2 := $[ [ <Parent> ].[f1] ];
rules(
    FunctionName : f1 → f2
)
```

# Nested Functions

# Closed Nested Functions are Just Functions

global variable

nested function definition

```
x : int = 10

def foo(y : int) → int:
    def bar(z : int) → int:
        return z + 10
    return bar(y + 10)

print(foo(x))
```

reference to local variable

reference to local variable

reference to global variable

# Closed Nested Functions are Just Functions

```
x : int = 10

def foo(y : int) → int:
    def bar(z : int) → int:
        return z + 10
    return bar(y + 10)

print(foo(x))
```

nested function name is hidden from context

but otherwise it is a normal function

```
.globl $foo
$foo:
    addi   sp, sp, -@$foo.size      # Reserve space for stack frame
    sw     ra, @$foo.size-4(sp)    # Save return address
    sw     fp, @$foo.size-8(sp)    # Save control link (fp)
    addi   fp, sp, @$foo.size     # New fp is at old SP.
    addi   sp, sp, -4            # allocate space for actual arguments
    lw     a0, 0(fp)              # read formal parameter $foo.y
    addi   a0, a0, 10             # Add with constant 10
    sw     a0, 0(sp)              # push argument on stack
    jal    $foo.bar               # call function $foo.bar
    addi   sp, fp, -@$foo.size   # restore stack pointer
    ...
    jr     ra                   # Return to caller

.globl $foo.bar
$foo.bar:
    addi   sp, sp, -@$foo.bar.size # Reserve space for stack frame
    sw     ra, @$foo.bar.size-4(sp) # Save return address
    sw     fp, @$foo.bar.size-8(sp) # Save control link (fp)
    addi   fp, sp, @$foo.bar.size # New fp is at old SP.
    lw     a0, 0(fp)              # read formal parameter $foo.bar.z
    addi   a0, a0, 10             # Add with constant 10
    ...
    jr     ra                   # Return to caller
```

# Nested Functions with ‘Free’ Variables

global variable

nested function definition

```
x : int = 10

def foo(y : int) → int:
    def bar(z : int) → int:
        return y + z
    return bar(y + 10)

print(foo(x))
```

reference to variable in enclosing function

reference to local variable

reference to global variable

# Accessing Lexically Enclosing Frame via Static Link

```
x : int = 10

def foo(y : int) → int:
    def bar(z : int) → int:
        return y + z
    return bar(y + 10)

print(foo(x))
```

```
.globl $foo
$foo:
    addi  sp, sp, -@$foo.size    # Reserve space for stack frame
    sw    ra, @$foo.size-4(sp)   # Save return address
    sw    fp, @$foo.size-8(sp)   # Save control link (fp)
    addi  fp, sp, @$foo.size    # New fp is at old SP.
    addi  sp, sp, -8            # allocate space for actual arguments
    mv    t0, fp                # load static link
    sw    t0, 0(sp)             # pass static link as parameter
    lw    a0, 0(fp)              # read formal parameter $foo.y
    addi  a0, a0, 10            # Add with constant 10
    sw    a0, 4(sp)              # push argument on stack
    jal   $foo.bar               # call function $foo.bar
    addi  sp, fp, -@$foo.size   # restore stack pointer
    j    label_105
label_105:
    .equiv @$foo.size, 8          # Epilogue of $foo
    lw    ra, -4(fp)             # Restore return address
    lw    fp, -8(fp)              # Use control link to restore caller's fp
    jr   ra                      # Return to caller
```

```
.globl $foo.bar
$foo.bar:
    addi  sp, sp, -@$foo.bar.size # Reserve space for stack frame
    sw    ra, @$foo.bar.size-4(sp) # Save return address
    sw    fp, @$foo.bar.size-8(sp) # Save control link (fp)
    addi  fp, sp, @$foo.bar.size # New fp is at old SP.
    lw    t0, 0(fp)                # load static link 1
    lw    a0, 0(t0)                # read variable $foo.y
    lw    t1, 4(fp)                # read formal parameter $foo.bar.z
    add   a0, a0, t1                # Addition
    j    label_106
label_106:
    .equiv @$foo.bar.size, 8          # Epilogue of $foo.bar
    lw    ra, -4(fp)                # Restore return address
    lw    fp, -8(fp)                # Use control link to restore caller's fp
    jr   ra                      # Return to caller
```

# Accessing Lexically Enclosing Frame via Static Link

```
x : int = 10

def foo(y : int) → int:
    def bar(z : int) → int:
        return y + z
    return bar(y + 10)

print(foo(x))
```

```
.globl $foo
$foo:
    addi   sp, sp, -@$foo.size    # Reserve space for stack frame
    sw     ra, @$foo.size-4(sp)  # Save return address
    sw     fp, @$foo.size-8(sp)  # Save control link (fp)
    addi   fp, sp, @$foo.size   # New fp is at old SP.
    addi   sp, sp, -8           # allocate space for actual arguments
    mv     t0, fp               # load static link
    sw     t0, 0(sp)            # pass static link as parameter
    lw     a0, 0(fp)             # read formal parameter $foo.y
    addi   a0, a0, 10            # Add with constant 10
    sw     a0, 4(sp)             # push argument on stack
    jal    $foo.bar              # call function $foo.bar
    addi   sp, fp, -@$foo.size  # restore stack pointer
    ...
    jr     ra                  # Return to caller
```

```
.globl $foo.bar
$foo.bar:
    addi   sp, sp, -@$foo.bar.size # Reserve space for stack frame
    sw     ra, @$foo.bar.size-4(sp) # Save return address
    sw     fp, @$foo.bar.size-8(sp) # Save control link (fp)
    addi   fp, sp, @$foo.bar.size # New fp is at old SP.
    lw     t0, 0(fp)              # load static link 1
    lw     a0, 0(t0)               # read variable $foo.y
    lw     t1, 4(fp)                # read formal parameter $foo.bar.z
    add   a0, a0, t1                # Addition
    ...
    jr     ra                  # Return to caller
```

# Offset in Activation Record

```
x : int = 10

def foo(y : int) → int:
    a : int = 0

    def bar(z : int) → int:
        b : int = 0
        b = z
        return a + b + x

    a = y + 1
    return bar(y + 10)

print(foo(x))
```

# Offset in Activation Record

```
x : int = 10

def foo(y : int) → int:
    a : int = 0

    def bar(z : int) → int:
        b : int = 0
        b = z
        return a + b + x

    a = y + 1
    return bar(y + 10)

print(foo(x))
```

```
.globl $foo
$foo:
    addi sp, sp, -@$foo.size    # Reserve space for stack frame
    sw ra, @$foo.size-4(sp)    # Save return address
    sw fp, @$foo.size-8(sp)    # Save control link (fp)
    addi fp, sp, @$foo.size    # New fp is at old SP.
    li a0, 0                   # Load integer constant 0
    sw a0, -12(fp)             # init local variable $foo.a
    lw a0, 0(fp)               # read formal parameter $foo.y
    addi a0, a0, 1              # Add with constant 1
    sw a0, -12(fp)             # write local variable $foo.a
    addi sp, sp, -8            # allocate space for actual arguments
    mv t0, fp                  # load static link
    sw t0, 0(sp)               # pass static link as parameter
    lw a0, 0(fp)               # read formal parameter $foo.y
    addi a0, a0, 10             # Add with constant 10
    sw a0, 4(sp)               # push argument on stack
    jal $foo.bar                # call function $foo.bar
    addi sp, fp, -@$foo.size   # restore stack pointer
...
jr ra                      # Return to caller
```

offset from frame pointer

same offset from static link

```
.globl $foo.bar
$foo.bar:
    addi sp, sp, -@$foo.bar.size    # Reserve space for stack frame
    sw ra, @$foo.bar.size-4(sp)    # Save return address
    sw fp, @$foo.bar.size-8(sp)    # Save control link (fp)
    addi fp, sp, @$foo.bar.size    # New fp is at old SP.
    li a0, 0                   # Load integer constant 0
    sw a0, -12(fp)             # init local variable $foo.bar.b
    lw a0, 4(fp)               # read formal parameter $foo.bar.z
    sw a0, -12(fp)             # write local variable $foo.bar.b
    lw t0, 0(fp)               # load static link 1
    lw a0, -12(t0)             # read variable $foo.a
    lw t1, -12(fp)             # read local variable $foo.bar.b
    add a0, a0, t1              # Addition
    lw t1, $x                  # read global variable $x
    add a0, a0, t1              # Addition
...
jr ra                      # Return to caller
```

# Recursive Nested Functions

nested function definition

```
def exp(base: int, n: int) → int:  
    def aux(x: int) → int:  
        if x == 0:  
            return 1  
        else:  
            return base * aux(x - 1)  
    return aux(n)  
  
print(exp(2, 4))
```

reference to variable in  
lexically enclosing function

# Recursive Nested Functions

```
def exp(base: int, n: int) → int:  
    def aux(x: int) → int:  
        if x == 0:  
            return 1  
        else:  
            return base * aux(x - 1)  
    return aux(n)  
  
print(exp(2, 4))
```

nested function definition

```
.globl $exp.aux  
$exp.aux:  
    addi sp, sp, -@$exp.aux.size # Reserve space for stack frame  
    sw ra, @$exp.aux.size-4(sp) # Save return address  
    sw fp, @$exp.aux.size-8(sp) # Save control link (fp)  
    addi fp, sp, @$exp.aux.size # New fp is at old SP.  
    li a0, 0 # Load integer constant 0  
    sw a0, -12(fp) # init local variable temp_29  
    lw a0, 4(fp) # read formal parameter $exp.aux.x  
    li t1, 0 # Load integer constant 0  
    xor a0, a0, t1 # Test integer equality  
    seqz a0, a0  
    beqz a0, false_3  
    li a0, 1 # Load integer constant 1  
    j label_110  
    j end_3  
false_3:  
    addi sp, sp, -8 # allocate space for actual arguments  
    lw t0, 0(fp) # load static link 1  
    sw t0, 0(sp) # pass static link as parameter  
    lw a0, 4(fp) # read formal parameter $exp.aux.x  
    li t1, 1 # Load integer constant 1  
    sub a0, a0, t1 # Subtraction  
    sw a0, 4(sp) # push argument on stack  
    jal $exp.aux # call function $exp.aux  
    addi sp, fp, -@$exp.aux.size # restore stack pointer  
    sw a0, -12(fp) # write local variable temp_29  
    lw t0, 0(fp) # load static link 1  
    lw a0, 4(t0) # read variable $exp.base  
    lw t1, -12(fp) # read local variable temp_29  
    mul a0, a0, t1  
...  
jr ra # Return to caller
```

# Nested Functions: Calling Up

```
def f(a: int) → int:  
    z : int = 17  
    def g(b: int) → int:  
        def h(c: int) → int:  
            def i(d: int) → int:  
                print(d)  
                if d == 1:  
                    return g(d - 1)  
                else:  
                    return d  
                print(c)  
                return i(c - 1)  
            print(b)  
            if b == 0:  
                return z  
            else:  
                return h(b - 1)  
        print(a)  
        return g(a - 1)  
  
print(f(4))
```

# Nested Functions: Calling Up

```

def f(a: int) → int:
    z : int = 17
def g(b: int) → int:
    def h(c: int) → int:
        def i(d: int) → int:
            print(d)
            if d == 1:
                return g(d - 1)
            else:
                return d
            print(c)
            return i(c - 1)
        print(b)
        if b == 0:
            return z
        else:
            return h(b - 1)
    print(a)
    return g(a - 1)

print(f(4))

```

```

.globl $f.g
$f.g:
    addi sp, sp, -@$f.g.size # Reserve space for stack frame
    sw ra, @$f.g.size-4(sp) # Save return address
    sw fp, @$f.g.size-8(sp) # Save control link (fp)
    addi fp, sp, @$f.g.size # New fp is at old SP.
    addi sp, sp, -4 # allocate space for actual argument
    lw a0, 4(fp) # read formal parameter $f.
    sw a0, 0(sp) # push argument on stack
    jal $printInt # call function $printInt
    addi sp, fp, -@$f.g.size # restore stack pointer
    lw a0, 4(fp) # read formal parameter $f.
    li t1, 0 # Load integer constant 0
    xor a0, a0, t1 # Test integer equality
    seqz a0, a0
    beqz a0, false_28
    lw t0, 0(fp) # load static link 1
    lw a0, -12(t0) # read variable $f.z
    j label_153
    j end_28
false_28:
    addi sp, sp, -8 # allocate space for actual argument
    mv t0, fp # load static link
    sw t0, 0(sp) # pass static link as parameter
    lw a0, 4(fp) # read formal parameter $f.
    li t1, 1 # Load integer constant 1
    sub a0, a0, t1 # Subtraction
    sw a0, 4(sp) # push argument on stack
    jal $f.g.h # call function $f.g.h
    addi sp, fp, -@$f.g.size # restore stack pointer
...
jr ra # Return to caller

```

identify call frame of function g

```

.globl $f.g.h.i
$f.g.h.i:
    addi sp, sp, -@$f.g.h.i.size # Reserve space for stack frame
    sw ra, @$f.g.h.i.size-4(sp) # Save return address
    sw fp, @$f.g.h.i.size-8(sp) # Save control link (fp)
    addi fp, sp, @$f.g.h.i.size # New fp is at old SP.
    addi sp, sp, -4 # allocate space for actual argument
    lw a0, 4(fp) # read formal parameter $f.g.h.i
    sw a0, 0(sp) # push argument on stack
    jal $printInt # call function $printInt
    addi sp, fp, -@$f.g.h.i.size # restore stack pointer
    lw a0, 4(fp) # read formal parameter $f.g.h.i
    li t1, 1 # Load integer constant 1
    xor a0, a0, t1 # Test integer equality
    seqz a0, a0
    beqz a0, false_29
    addi sp, sp, -8 # allocate space for actual argument
    lw t0, 0(fp) # load static link 1
    lw t0, 0(t0) # load static link 2
    lw t0, 0(t0) # load static link 3
    sw t0, 0(sp) # pass static link as parameter
    lw a0, 4(fp) # read formal parameter $f.g.h.i
    li t1, 1 # Load integer constant 1
    sub a0, a0, t1 # Subtraction
    sw a0, 4(sp) # push argument on stack
    jal $f.g # call function $f.g
    addi sp, fp, -@$f.g.h.i.size # restore stack pointer
    j label_155
    j end_29
false_29:
    lw a0, 4(fp) # read formal parameter $f.g.h.i
...
jr ra # Return to caller

```

# Nested Functions: Mutual Recursion

```
def pred(x: int) → bool:  
    true : bool = True  
    false : bool = False  
  
    def even(a : int) → bool:  
        if a = 0:  
            return true  
        else:  
            return odd(a - 1)  
  
    def odd(b : int) → bool:  
        if b = 0:  
            return false  
        else:  
            return even(b - 1)  
  
    return even(x)  
  
print(pred(2))
```

what is the static link?

what is the static link?

# Making Nesting Explicit

# Nesting: How Many Frames Up?

```
a : int = 10

def foo(x : int) → int:
    b : int = 0

    def aux(i : int) → int:
        return b + i

    def bar(y : int) → int:
        c : int = 0

        def baz(z : int) → int:
            d : int = 0
            d = aux(c + 1)
            return a + x + y + z

        return baz(a + b + x)

    b = aux(x)
    return bar(b + 10)

print(foo(a))
```

how many static links should we follow to find a variable or (static link of) a function?

# Nesting: How Many Frames Up?

```
a : int = 10

def foo(x : int) → int:
    b : int = 0

    def aux(i : int) → int:
        return b + i

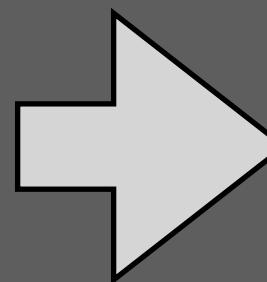
    def bar(y : int) → int:
        c : int = 0

        def baz(z : int) → int:
            d : int = 0
            d = aux(c + 1)
            return a + x + y + z

        return baz(a + b + x)

    b = aux(x)
    return bar(b + 10)

print(foo(a))
```



```
a : int = 10

def foo(x : int) → int:
    b : int = 0

    def aux(i : int) → int:
        return b/1 + i/0

    def bar(y : int) → int:
        c : int = 0

        def baz(z : int) → int:
            d : int = 0
            d = aux/2(c/1 + 1)
            return a/0 + x/2 + y/1 + z/0

        return baz/0(a/0 + b/1 + x/1)

    b = aux/0(x/0)
    return bar/0(b/0 + 10)

print(foo/0(a/0))
```

how many static links should we follow to find a variable or (static link of) a function?

difference between nesting level of occurrence and nesting level of definition

# Nesting: How Many Frames Up?

```
a : int = 10

def foo(x : int) → int:
    b : int = 0

    def aux(i : int) → int:
        return b + i

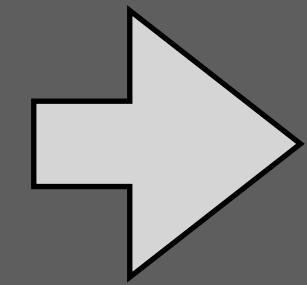
    def bar(y : int) → int:
        c : int = 0

        def baz(z : int) → int:
            d : int = 0
            d = aux(c + 1)
            return a + x + y + z

        return baz(a + b + x)

    b = aux(x)
    return bar(b + 10)

print(foo(a))
```



```
a : int = 10

def foo(x : int) → int:
    b : int = 0

    def aux(i : int) → int:
        return b/1 + i/0

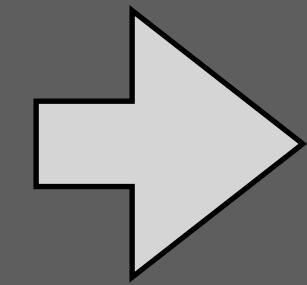
    def bar(y : int) → int:
        c : int = 0

        def baz(z : int) → int:
            d : int = 0
            d = aux/2(c/1 + 1)
            return a/0 + x/2 + y/1 + z/0

        return baz/0(a/0 + b/1 + x/1)

    b = aux/0(x/0)
    return bar/0(b/0 + 10)

print(foo/0(a/0))
```



```
Return(
    AddInt(
        AddInt(
            AddInt(
                AddInt(
                    Var("$a", 0)
                )
            )
        )
    )
), Var("$foo.bar.y", 1)
), Var("$foo.bar.baz.z", 0))
)
```

how many static links should we follow to find a variable or (static link of) a function?

difference between nesting level of occurrence and nesting level of definition

transformation pairs levels with variables

# Functions as First-Class Citizens

# Challenge: Closures

## Static link only works with nested functions

- the environment is still on the stack

## Functions as first-class citizens

- `map((x: int) => x + 1, [1, 2, 3])`
- anonymous functions (lambdas)

## Function values

- function value may escape the call frame in which it is created
- formal parameters + function body + values of free variables
- encoding in OO languages as objects with apply function

## Challenge

- Extend ChocoPy with first-class functions

# Statements

# Statements

```
a : int = 3
b : int = 4

if a == b :
    a = 1
else:
    b = 2
```

```
main:
...
    lw    a0, $a      # read global variable $a
    lw    t1, $b      # read global variable $b
    xor   a0, a0, t1  # Test integer equality
    seqz  a0, a0
    beqz  a0, false_30
    li    a0, 1       # Load integer constant 1
    sw    a0, $a, t0   # write global variable $a
    j     end_30

false_30:
    li    a0, 2       # Load integer constant 2
    sw    a0, $b, t0   # write global variable $b
...
```

## rules

```
stat-to-instrs(|r, regs|) :
    IfElse(e, Block(stats1), Else(Block(stats2))) → <concat>[
        ...
    ]
    with <exp-to-instrs(|r, regs|)> e ⇒ instrs0
    with <stats-to-instrs(|r, regs|)> stats1 ⇒ instrs1
    with <stats-to-instrs(|r, regs|)> stats2 ⇒ instrs2
```

# String Constants

# String Constants

```
message : str = "hello"
target : str = "world"

print(message + " " + target)
```

```
.globl temp_48
temp_48:
.word const_288

.globl temp_49
temp_49:
.word const_288

.globl $target
$target:
.word const_287

.globl $message
$message:
.word const_286
```

global variables

constant objects

```
.globl const_286
const_286:
.word 3
.word 6
.word $str$dispatchTable
.word 5
.string "hello"
.align 2

.globl const_287
const_287:
.word 3
.word 6
.word $str$dispatchTable
.word 5
.string "world"
.align 2

.globl const_288
const_288:
.word 3
.word 5
.word $str$dispatchTable
.word 0
.string ""
.align 2

.globl const_289
const_289:
.word 3
.word 5
.word $str$dispatchTable
.word 1
.string " "
.align 2
```

```
main:
...
addi    sp, sp, -8          # allocate space for actual arguments
la     a0, const_289        # load string constant
sw     a0, 0(sp)           # push argument on stack
lw     a0, $message         # read global variable $message
sw     a0, 4(sp)           # push argument on stack
jal    strcat              # call function strcat
addi    sp, fp, -@..main.size # restore stack pointer
sw     a0, temp_49, t0       # write global variable temp_49
addi    sp, sp, -8          # allocate space for actual arguments
lw     a0, $target           # read global variable $target
sw     a0, 0(sp)           # push argument on stack
lw     a0, temp_49           # read global variable temp_49
sw     a0, 4(sp)           # push argument on stack
jal    strcat              # call function strcat
addi    sp, fp, -@..main.size # restore stack pointer
sw     a0, temp_48, t0       # write global variable temp_48
addi    sp, sp, -4          # allocate space for actual arguments
lw     a0, temp_48           # read global variable temp_48
sw     a0, 0(sp)           # push argument on stack
jal    $printString         # call function $printString
addi    sp, fp, -@..main.size # restore stack pointer
...
```

loading string constants

# Boxed vs Unboxed

## String Values

- represented as objects with string as attribute

## Integers and Booleans

- ChocoPy reference implementation:
  - ▶ represent as objects with value as attribute (= boxed)
- My implementation
  - ▶ unboxed representation of integers and booleans
  - ▶ where does this go wrong?

# Execution Environment

# Execution Environment: Built-In Functions

```
message : str = "hello"
target : str = "world"

print(message + " " + target)
```

## string concatenation

```
.globl strcat
strcat:
    addi    sp, sp, -12
    sw      ra, 8(sp)
    sw      fp, 4(sp)
    addi    fp, sp, 12
    lw      t0, 4(fp)
    lw      t1, 0(fp)
    lw      t0, @_len_(t0)
    beqz   t0, strcat_4
    lw      t1, @_len_(t1)
    beqz   t1, strcat_5
    add    t1, t0, t1
    sw      t1, -12(fp)
    addi   t1, t1, 4
    srlt   t1, t1, 2
    addi   a1, t1, @listHeaderWords
    la      a0, $str$prototype
    jal    alloc2
    lw      t0, -12(fp)
    sw      t0, @_len_(a0)
    addi   t2, a0, 16
    lw      t0, 4(fp)
    lw      t1, @_len_(t0)
    addi   t0, t0, @_str_
```

## printString : type specialized

```
.globl $printString
$printString:
    addi   sp, sp, -@printString.size
    sw      ra, @printString.size-4(sp)
    sw      fp, @printString.size-8(sp)
    addi   fp, sp, @printString.size
    lw      a1, 0(fp)
    addi   a1, a0, @_str_
    li      a0, @print_string
    ecall
    li      a1, @newline
    li      a0, @print_char
    ecall
.equiv @printString.size, 8
    lw      ra, -4(fp)
    lw      fp, -8(fp)
    addi   sp, sp, @printString.size
    jr      ra
```

```
main:
...
    addi   sp, sp, -8          # allocate space for actual arguments
    la     a0, const_281
    sw     a0, 0(sp)
    lw     a0, $message
    sw     a0, 4(sp)
    jal    strcat
    addi   sp, fp, -@..main.size
    sw     a0, temp_46, t0
    addi   sp, sp, -8          # allocate space for actual arguments
    lw     a0, $target
    sw     a0, 0(sp)
    lw     a0, temp_46
    sw     a0, 4(sp)
    jal    strcat
    addi   sp, fp, -@..main.size
    sw     a0, temp_45, t0
    addi   sp, sp, -4          # allocate space for actual arguments
    lw     a0, temp_45
    sw     a0, 0(sp)
    jal    $printString        # call function $printString
    addi   sp, fp, -@..main.size
    ...
...
```

get implementations from ChocoPy reference compiler

# Memory Management

# Garbage Collection

## Reference counting

- deallocate records with count 0

## Mark & sweep

- mark reachable records
- sweep unmarked records

## Copying collection

- copy reachable records

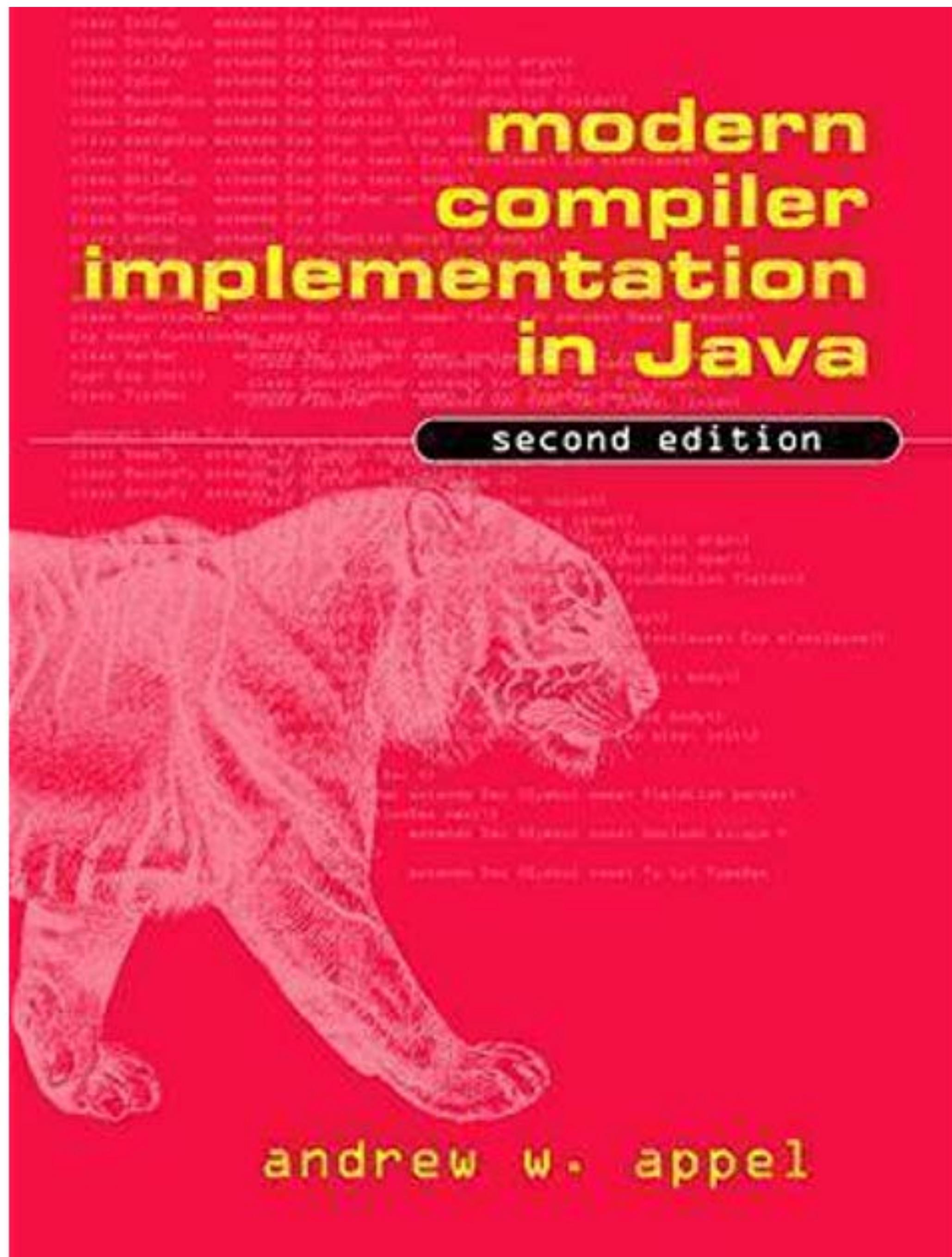
## Generational collection

- collect only in young generations of records

# Reading Material

Andrew W. Appel and Jens Palsberg (2002). Garbage Collection. Chapter In Modern Compiler Implementation in Java, 2nd edition. Cambridge University Press.

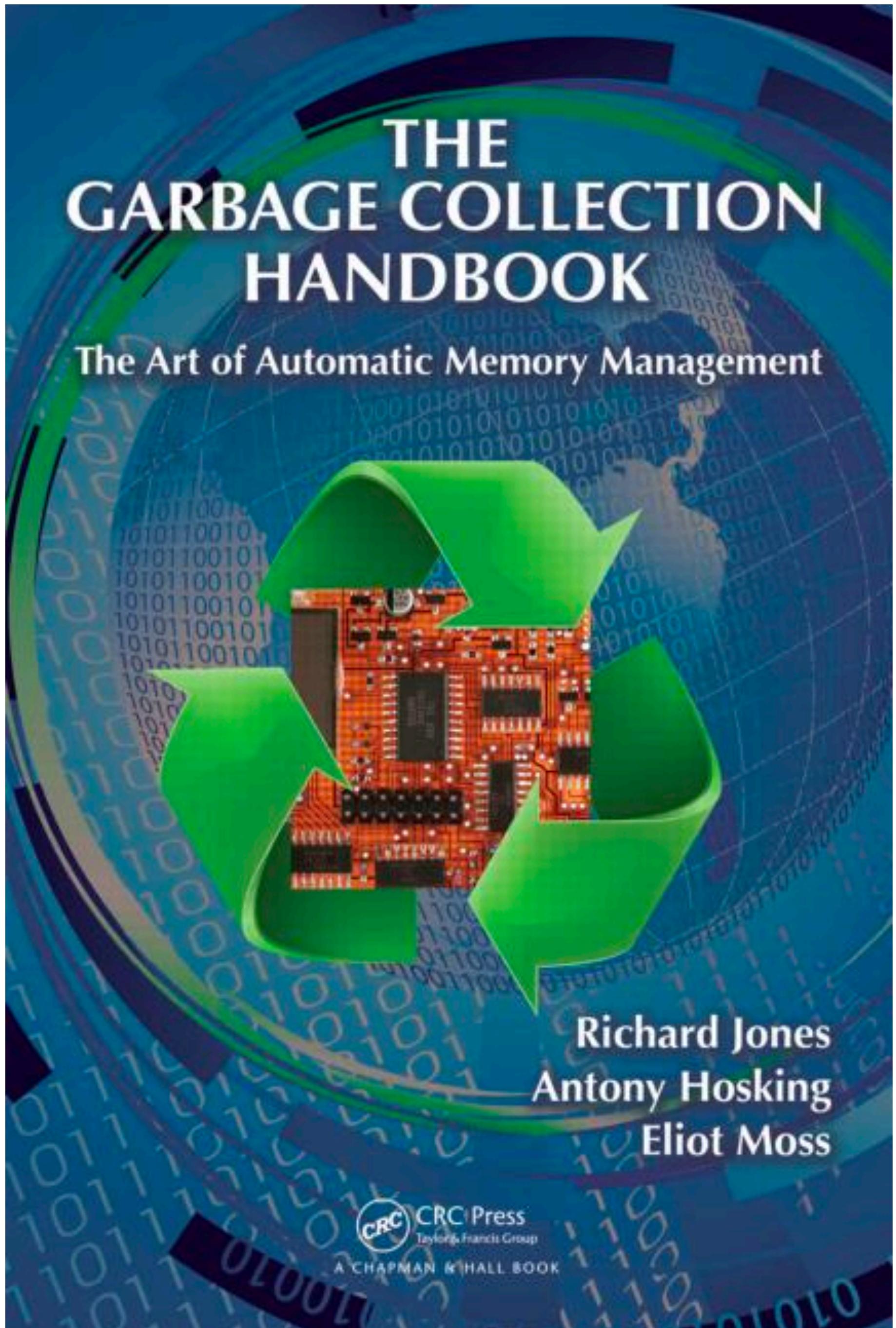
The lecture closely follows the discussion of mark-and-sweep collection, reference counts, copying collection, and generational collection in this chapter. This chapter also provides detailed cost analyses and discusses advantages and disadvantages of the different approaches to garbage collection.



Richard Jones, Antony Hosking, Eliot Moss. The Garbage Collection Handbook. The Art of Automatic Memory Management.

A systematic overview of garbage collection algorithms.

Dig deeper



# Memory Safety & Memory Management

# Memory Safety

**A program execution is memory safe if**

- It only creates valid pointers through standard means
- Only uses a pointer to access memory that belongs to that pointer

**Combines temporal safety and spatial safety**

**Access only to memory that pointer owns**

**View pointer as triple ( $p$ ,  $b$ ,  $e$ )**

- $p$  is the actual pointer
- $b$  is the base of the memory region it may access
- $e$  is the extent (bounds of that region)

**Access allowed iff**

- $b \leq p \leq e - \text{sizeof}(\text{typeof}(p))$

**Allowed operations**

- Pointer arithmetic increments  $p$ , leaves  $b$  and  $e$  alone
- Using &:  $e$  determined by size of original type

# Temporal Safety

**No access to undefined memory**

**Temporal safety violation: trying to access undefined memory**

- Spatial safety assures it was to a legal region
- Temporal safety assures that region is still in play

**Memory region is defined or undefined**

**Undefined memory is**

- unallocated
- uninitialized
- deallocated (dangling pointers)

# Memory Management

## Manual memory management

- malloc, free in C
- Easy to accidentally free memory that is still in use
- Pointer arithmetic is unsafe

## Automated memory management

- Spatial safety: references are opaque (no pointer arithmetic)
- (+ array bounds checking)
- Temporal safety: no dangling pointers (only free unreachable memory)

# Garbage Collector

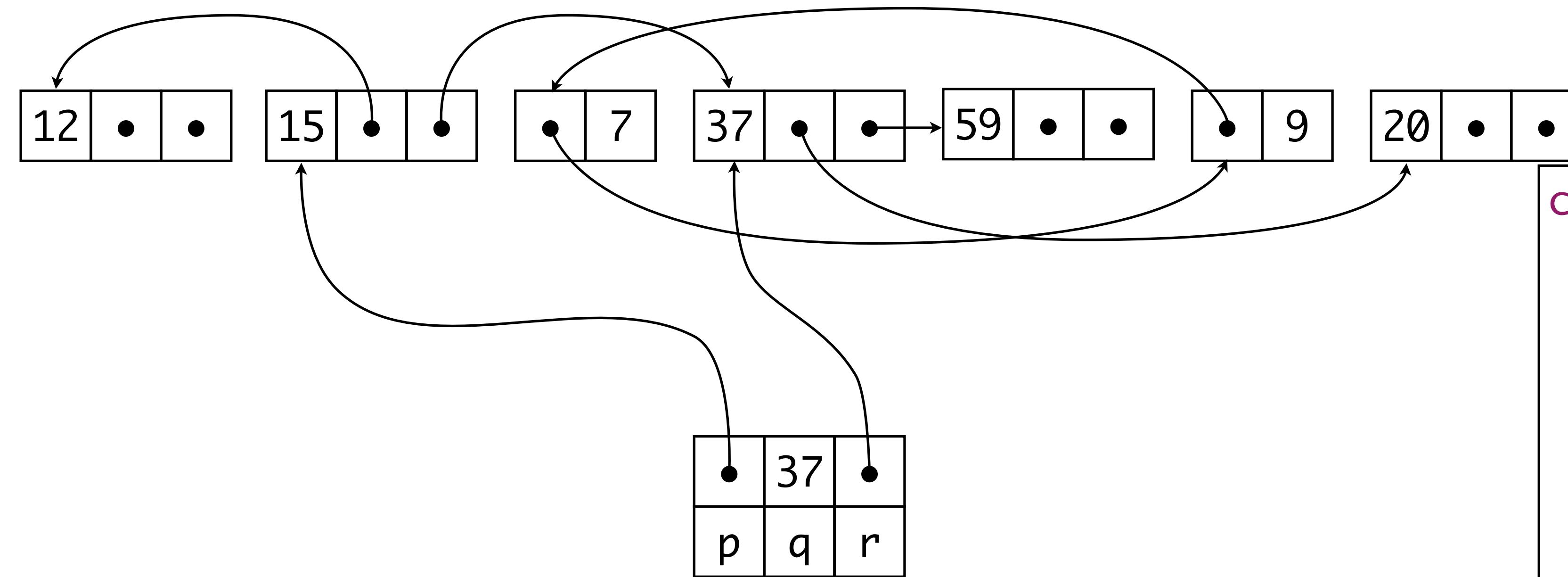
## Terminology

- objects that are referenced are live
- objects that are not referenced are dead (garbage)
- objects are allocated on the heap

## Responsibilities

- allocating memory
- ensuring live objects remain in memory
- garbage collection: recovering memory from dead objects

# An Example Program



```
class List {  
    List link;  
    int key;  
}  
  
class Tree {  
    int key;  
    tree left;  
    tree right;  
}
```

```
class Main {  
    static Tree makeTree() { ... }  
    static void showTree() { ... }  
    static void main() {  
        List x = new List(nil, 7);  
        List y = new List(x, 9);  
        x.link = y;  
    }  
    {  
        Tree p = maketree();  
        Tree r = p.right;  
        int q = r.key;  
        // garbage-collect here  
        showtree(p)  
    }  
}
```

# Reference Counting

# Reference Counting

## Counts

- how many pointers point to each record?
- store count with each record

## Counting

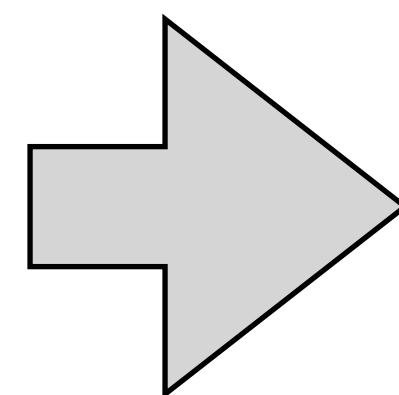
- extra instructions

## Deallocate

- put on freelist
- recursive deallocation on allocation

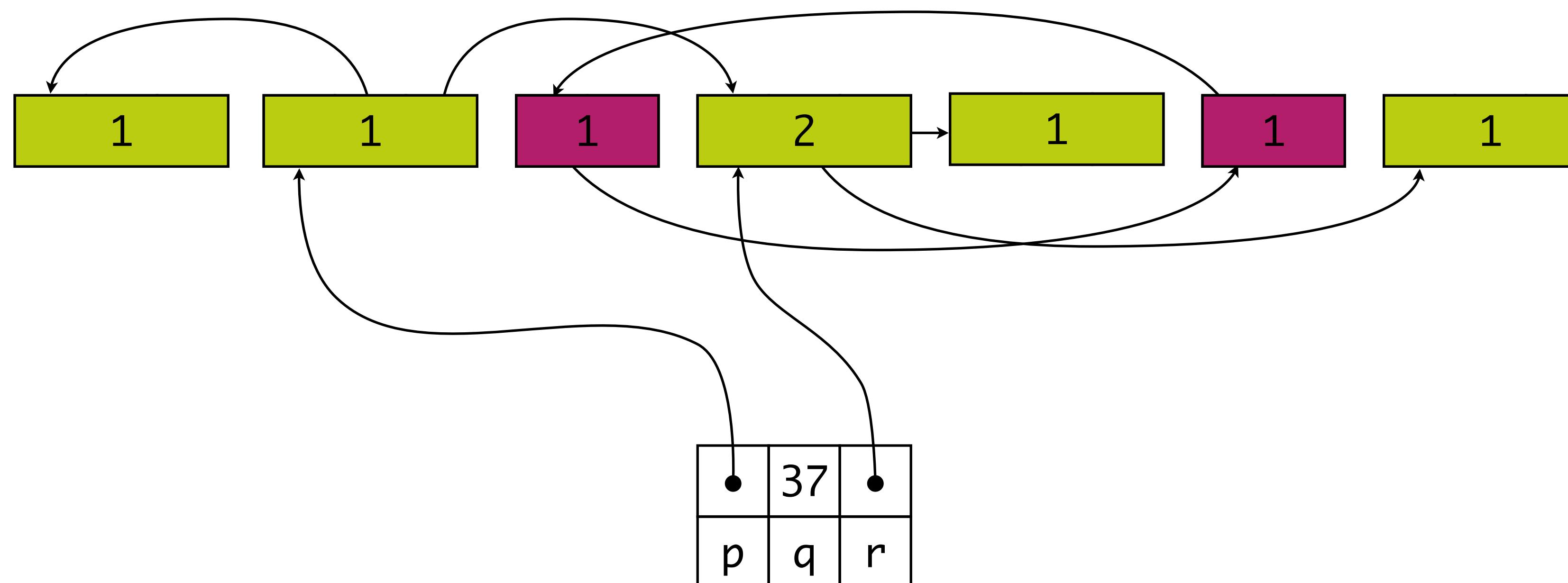
# Reference Counting: Instrumentation

```
x.f := p
```



```
z          := x.f
c          := z.count
c          := c - 1
z.count  := c
if (c == 0) put z on free list
x.f      := p
c          := p.count
c          := c + 1
p.count  := c
```

# Reference Counting



# Reference Counting: Notes

## Cycles

- memory leaks
- break cycles explicitly
- occasional mark & sweep collection

## Expensive

- fetch, decrease, store old reference counter
- possible deallocation
- fetch, increase, store new reference counter

# Programming Languages using Reference Counting

## Languages with automatic reference counting

- Objective-C, Swift

## Dealing with cycles

- strong reference: counts as a reference
- weak reference: can be nil, does not count
- unowned references: cannot be nil, does not count

# Mark & Sweep

# Mark & Sweep: Idea

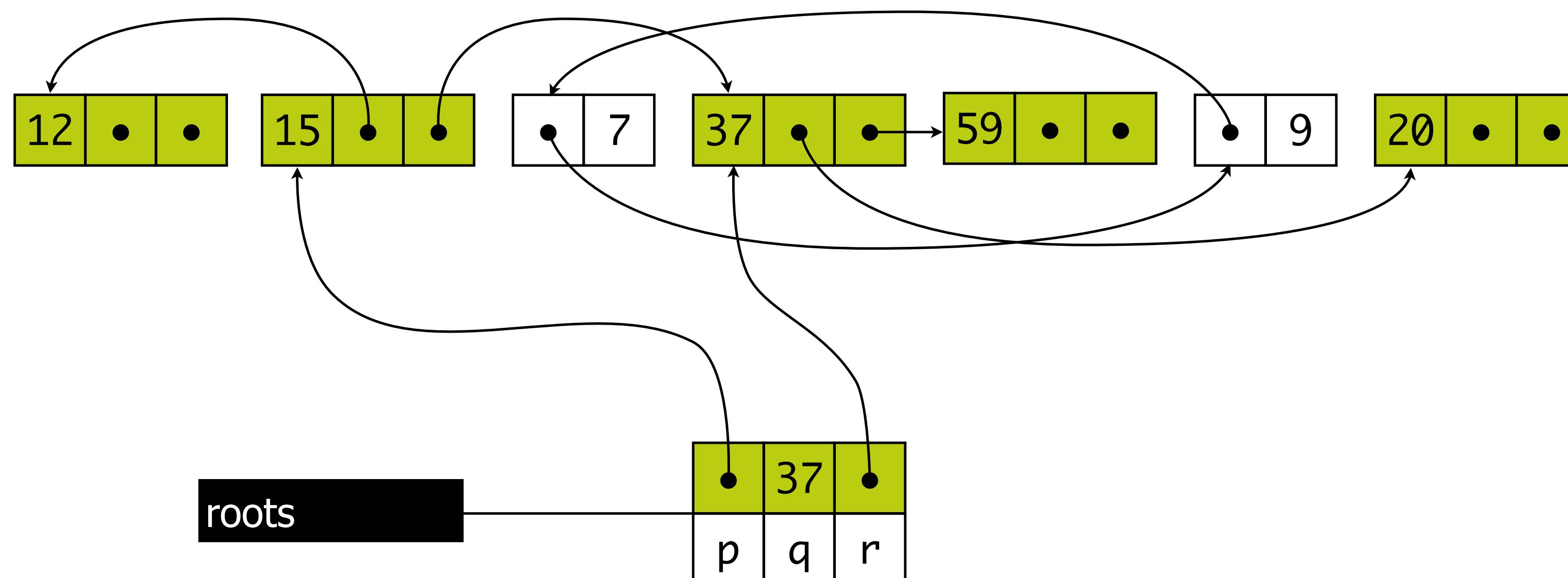
## Mark

- mark reachable records
- start at variables (roots)
- follow references

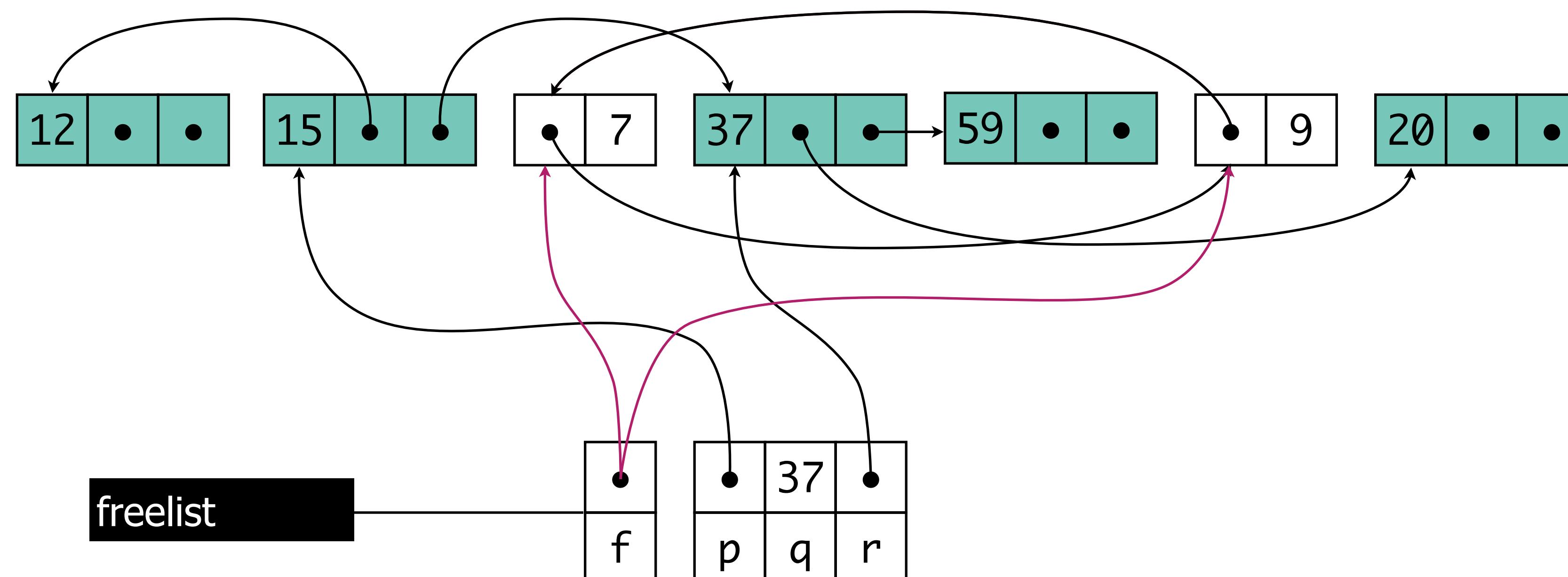
## Sweep

- marked records: unmark
- unmarked records: deallocate
- linked list of free records

# Marking



# Sweeping



# Mark & Sweep: Algorithms

```
function DFS(x)

  if pointer(x) & !x.marked

    x.marked := true

    foreach f in fields(x)

      DFS(f)
```

Sweep phase:

```
p := first address in heap

while p < last address in heap
  if p.marked
    p.marked := false
  else
    f1 := first field in p
    p.f1 := freelist
    free list := p

  p := p + sizeof( p )
```

# Mark & Sweep: Costs

## Instructions

- $R$  reachable words in heap of size  $H$
- Mark:  $c_1 * R$
- Sweep:  $c_2 * H$
- Reclaimed:  $H - R$  words
- Instructions per word reclaimed:  $(c_1 * R + c_2 * H) / (H - R)$
- if ( $H \gg R$ ) cost per allocated word  $\sim c_2$

# Mark & Sweep: Costs

## Memory

- DFS is recursive
- maximum depth: longest path in graph of reachable data
- worst case:  $H$
- $| \text{stack of activation records} | > H$

## Measures

- explicit stack
- pointer reversal

# Marking: DFS with Explicit Stack: Algorithms

```
function DFS(x)

    if pointer(x) & !x.marked

        x.marked = true
        t = 1 ; stack[t] = x

        while t > 0

            x = stack[t] ; t = t - 1

            foreach f in fields(x)
                if pointer(f) & !f.marked

                    f.marked = true
                    t = t + 1 ; stack[t] = f
```

# Marking: DFS with Pointer Reversal

```
function DFS(x)
    if pointer(x) & x.done < 0
        x.done = 0 ; t = nil

        while true
            if x.done < x.fields.size
                y = x.fields[x.done]
                if pointer(y) & y.done < 0
                    x.fields[x.done] = t ; t = x ; x = y ; x.done = 0
                else
                    x.done = x.done + 1

            else
                y = x; x = t
                if t = nil then return
                t = x.fields[x.done]; x.fields[x.done] = y
                x.done = x.done + 1
```

marking without memory overhead

## Sweeping

- independent of marking algorithm
- several freelist (per record size)
- split free records for allocation

## Fragmentation

- external: many free records of small size
- internal: too-large record with unused memory inside

# Copying Collection

# Copying Collection: Idea

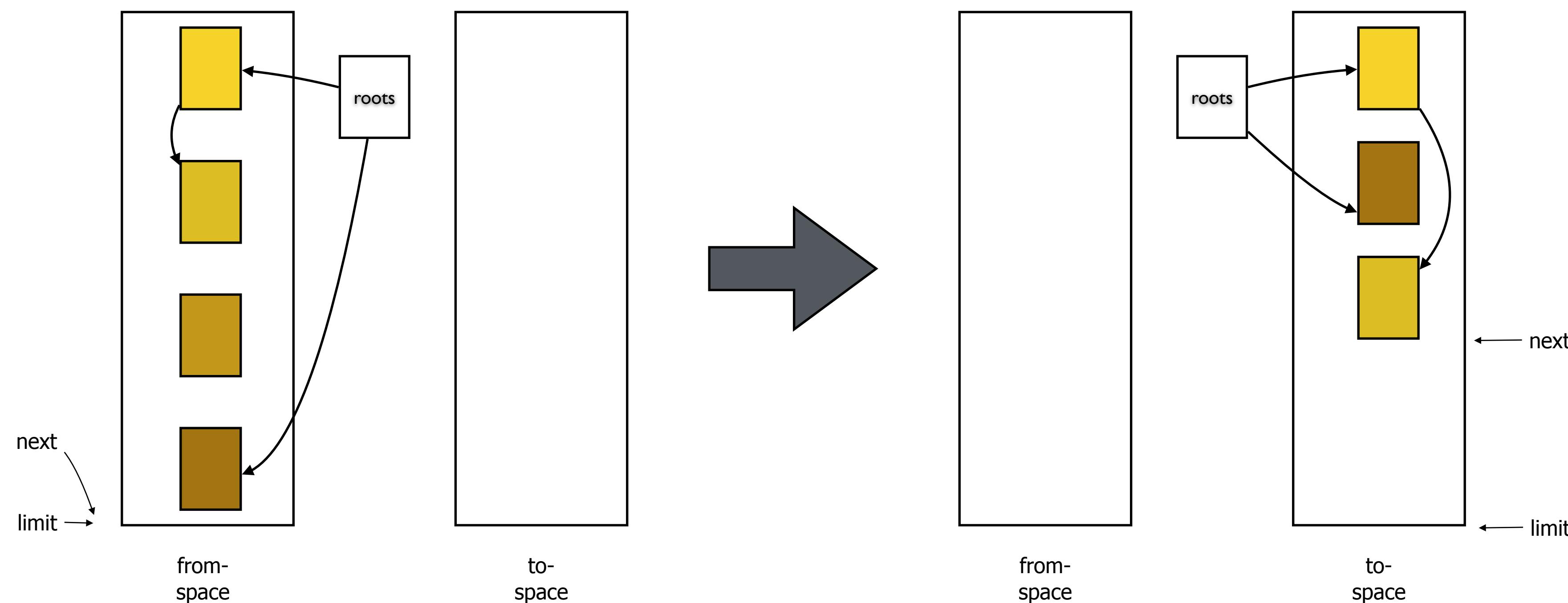
## Spaces

- fromspace & tospace
- switch roles after copy

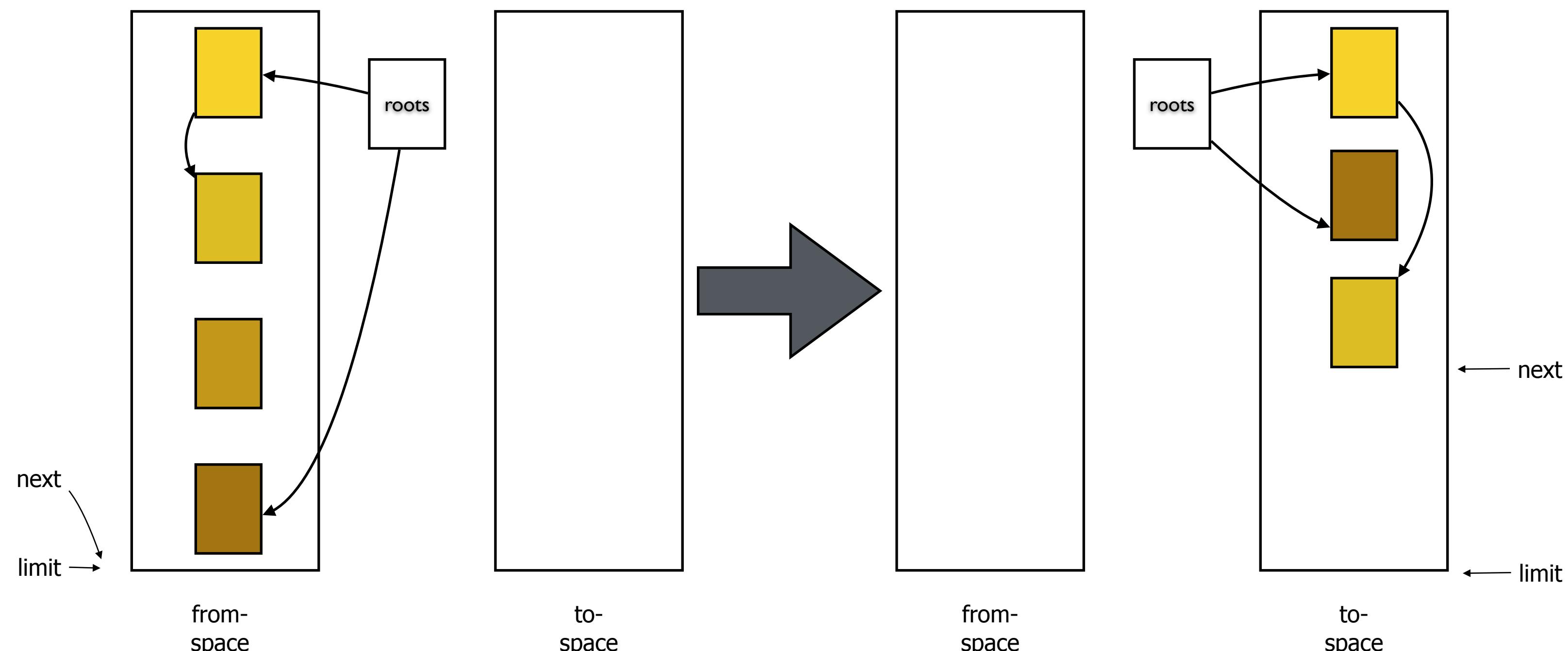
## Copy

- traverse reachability graph
- copy from fromspace to tospace
- fromspace unreachable, free memory
- tospace compact, **no fragmentation**

# Copying Collection: Idea

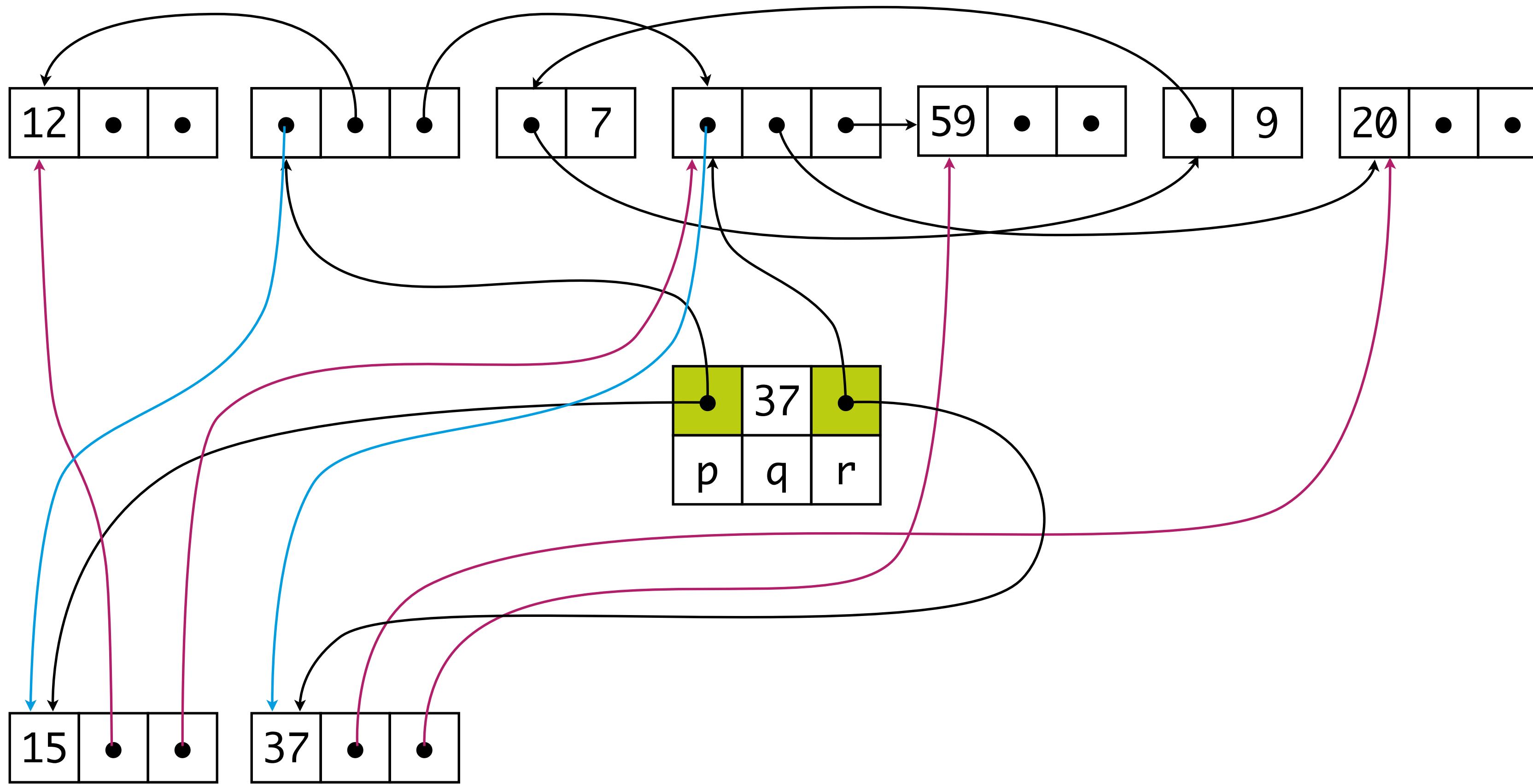


# Copying Collection: Algorithm

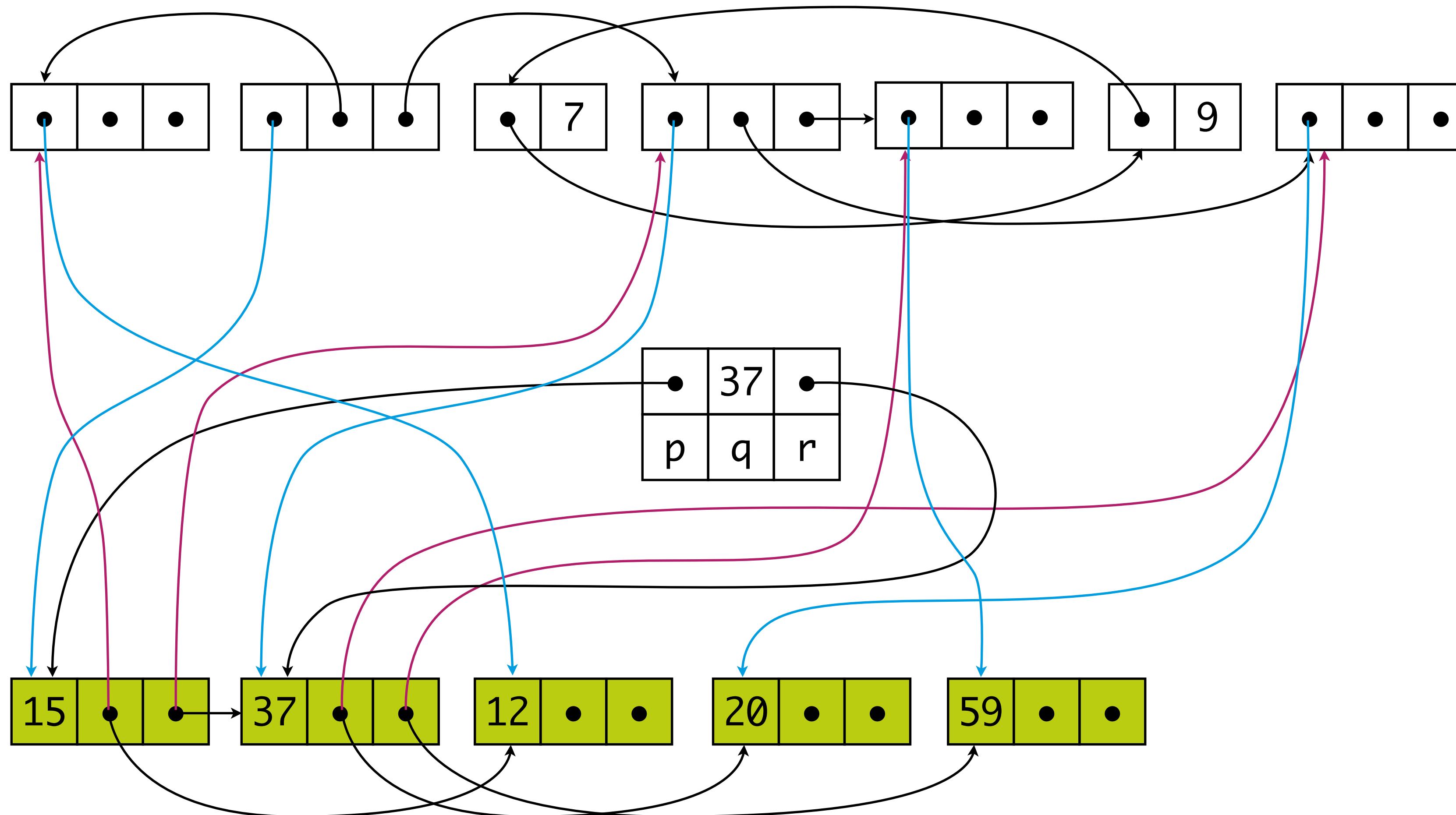


```
function BFS()  
  
    next := scan := start(tospace)  
  
    foreach r in roots  
        r = Forward(r)  
  
    while scan < next  
  
        foreach f in fields of scan  
            scan.f = Forward(scan.f)  
  
        scan = scan + sizeof(scan)
```

# Copying Collection: Example



# Copying Collection: Example



# Copying Collection: Issues

## Adjacent records

- likely to be unrelated

## Pointers to records in records

- likely to be accessed
- likely to be far apart

## Solution

- depth-first copy: slow pointer reversals
- hybrid copy algorithm

# Copying Collection: Costs

## Instructions

- R reachable words in heap of size H
- BFS:  $c_3 * R$
- No sweep
- Reclaimed:  $H/2 - R$  words
- Instructions per word reclaimed:  $(c_3 * R) / (H/2 - R)$
- If  $(H \gg R)$  : cost per allocated word  $\Rightarrow 0$
- If  $(H = 4R)$  :  $c_3$  instructions per word allocated
- Solution: reduce portion of R to inspect  $\Rightarrow$  generational collection

# Generational Collection

# Generational Collection

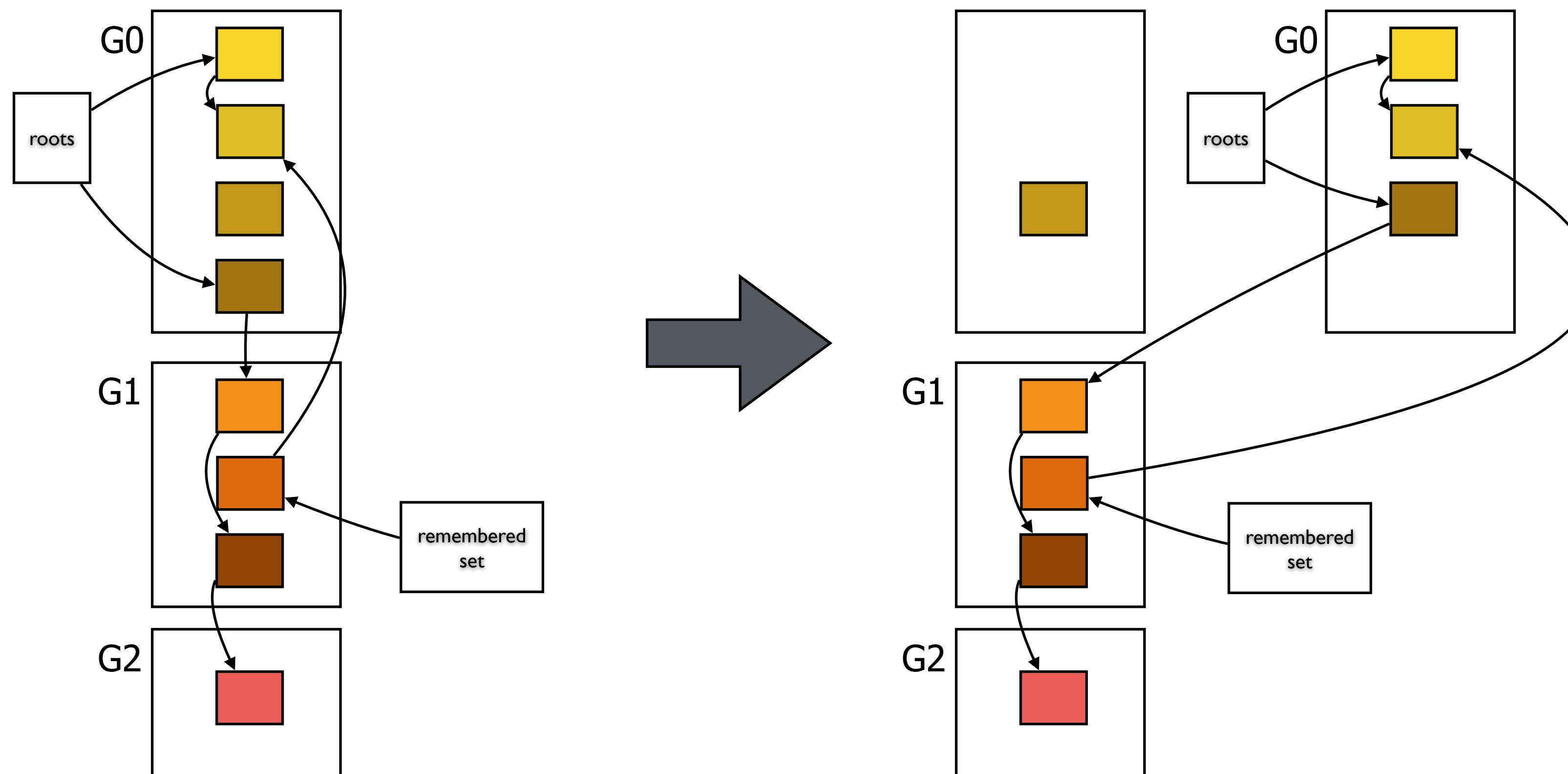
## Generations

- young data: likely to die soon
- old data: likely to survive for more collections
- divide heap, collect younger generations more frequently

## Collection

- roots: variables & pointers from older to younger generations
- preserve pointers to old generations
- promote objects to older generations

# Generational Collection



# Generational Collection: Costs

## Instructions

- $R$  reachable words in heap of size  $H$
- BFS:  $c_3 * R$
- No sweep
- 10% of youngest generation is live:  $H/R = 10$
- Instructions per word reclaimed:  
$$(c_3 * R) / (H - R) = (c_3 * R) / (10R - R) \approx c_3/10$$
- Adding to remembered set: 10 instructions per update

# Incremental Collection

## Interrupt by garbage collector undesirable

- interactive, real-time programs

## Incremental / concurrent garbage collection

- interleave collector and mutator (program)
- incremental: per request of mutator
- concurrent: in between mutator operations

## Tricolor marking

- White: not visited
- Grey: visited (marked or copied), children not visited
- Black: object and children marked

# Summary

## How can we collect unreachable records on the heap?

- reference counts
- mark reachable records, sweep unreachable records
- copy reachable records

## How can we reduce heap space needed for garbage collection?

- pointer-reversal
- breadth-first search
- hybrid algorithms

## Serial vs Parallel

- garbage collection as sequential or parallel process

## Concurrent vs Stop-the-World

- concurrently with application or stop application

## Compacting vs Non-compacting vs Copying

- compact collected space
- free list contains non-compacted chunks
- copy live objects to new space; from-space is non-fragmented

# Performance Metrics

## Throughput

- percentage of time not spent in garbage collection

## GC overhead

- percentage of time spent in garbage collection

## Pause time

- length of time execution is stopped during garbage collection

## Frequency of collection

- how often collection occurs

## Footprint

- measure of (heap) size

# Garbage Collection in Java HotSpot VM

## Serial collector

- young generation: copying collection
- old generation: mark-sweep-compact collection

## Parallel collector

- young generation: stop-the-world copying collection in parallel
- old generation: same as serial

## Parallel compacting collector

- young generation: same as parallel
- old generation: roots divided in threads, marking live objects in parallel, ...

## Concurrent Mark-Sweep (CMS) collector

- stop-the-world initial marking and re-marking
- concurrent marking and sweeping

## Literature

- Andrew W. Appel, Jens Palsberg. Modern Compiler Implementation in Java, 2nd edition, 2002.
- Sun Microsystems. Memory Management in the Java HotSpot™ Virtual Machine, April 2006.
- Richard Jones, Antony Hosking, Eliot Moss. The Garbage Collection Handbook. The Art of Automatic Memory Management.

# Language-Parametric Memory Management?

# Language-Parametric Memory Management?

## Garbage collectors are language-specific

- Representation of objects in memory
- Roots of heap in stack

## Can we derive garbage collector from language definition?

## A uniform model for memory layout

- Scopes describe static binding structure
- Frames instantiate scopes at run time
- Language-parametric memory management
- Language-parametric type safety

# Language-Parametric Type Safety?

## Type Safety: Well-typed programs don't go wrong

- A program that type checks does not have run-time type errors
- Preservation
  - $e : t \& e \rightarrow v \Rightarrow v : t$
- Progress
  - $e \rightarrow e' \Rightarrow e'$  is a value ||  $e' \rightarrow e''$
- (Slightly different for big step semantics as in definitional interpreters)

## Proving type safety

- Easier to establish with an interpreter
- Bindings complicate proof
- How to maintain?
- Can we automate verification of type safety?

Traditionally, operational semantics specifications use ad hoc mechanisms for representing the binding structures of programming languages.

This paper introduces frames as the dynamic counterpart of scopes in scope graphs.

This provides a uniform model for the representation of memory at run-time.

We are currently experimenting with specializing DynSem interpreters using scopes and frames using Truffle/Graal with encouraging results (200x speed-ups).

ECOOP 2016

<http://dx.doi.org/10.4230/LIPIcs.ECOOP.2016.20>

## Scopes Describe Frames: A Uniform Model for Memory Layout in Dynamic Semantics (Artifact)\*

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### Abstract

Our paper introduces a systematic approach to the alignment of names in the static structure of a program, and memory layout and access during its execution. We develop a uniform memory model consisting of frames that instantiate the scopes in the scope graph of a program. This provides a language-independent correspondence between static scopes and run-time memory layout, and between static resolution paths and run-time memory access paths. The approach scales to a range of binding features, supports straightforward type soundness proofs,

and provides the basis for a language-independent specification of sound reachability-based garbage collection.

This Coq artifact showcases how our uniform model for memory layout in dynamic semantics provides structure to type soundness proofs. The artifact contains type soundness proofs mechanized in Coq for (supersets of) all languages in the paper. The type soundness proofs rely on a language-independent framework formalizing scope graphs and frame heaps.

1998 ACM Subject Classification F.3.1 Specifying and Verifying and Reasoning about Programs  
Keywords and phrases Dynamic semantics, scope graphs, memory layout, type soundness, operational semantics

Digital Object Identifier 10.4230/DARTS.2.1.10

Related Article Casper Bach Poulsen, Pierre Néron, Andrew Tolmach, and Eelco Visser, "Scopes Describe Frames: A Uniform Model for Memory Layout in Dynamic Semantics", in Proceedings of the 30th European Conference on Object-Oriented Programming (ECOOP 2016), LIPIcs, Vol. 56, pp. 20:1–20:26, 2016.

<http://dx.doi.org/10.4230/LIPIcs.ECOOP.2016.20>

Related Conference 30th European Conference on Object-Oriented Programming (ECOOP 2016), July 18–22, 2016, Rome, Italy

### 1 Scope

The artifact is designed to document and support repeatability of the type soundness proofs in the companion paper [2], using the Coq proof assistant.<sup>1</sup> In particular, the artifact provides a

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<sup>1</sup> <https://coq.inria.fr/>

# Specializing a Meta-Interpreter

JIT Compilation of DynSem Specifications on the Graal VM

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## ABSTRACT

DynSem is a domain-specific language for concise specification of the dynamic semantics of programming languages, aimed at rapid experimentation and evolution of language designs. DynSem specifications can be executed to interpret programs in the language under development. To enable fast turnaround during language development, we have developed a meta-interpreter for DynSem specifications, which requires minimal processing of the specification. In addition to fast development time, we also aim to achieve fast run times for interpreted programs.

In this paper we present the design of a meta-interpreter for DynSem and report on experiments with JIT compiling the application of the meta-interpreter on the Graal VM. By interpreting specifications directly, we have minimal compilation overhead. By specializing pattern matches, maintaining call-site dispatch chains and using native control-flow constructs we gain significant run-time performance. We evaluate the performance of the meta-interpreter when applied to the Tiger language specification running a set of common benchmark programs. Specialization enables the Graal VM to JIT compile the meta-interpreter giving speedups of up to factor 15 over running on the standard Oracle Java VM.

## CCS CONCEPTS

- Software and its engineering → Interpreters; Domain specific languages; Semantics;

## KEYWORDS

dynamic semantics, interpretation, JIT, run-time optimization

### ACM Reference Format:

Vlad Vergu and Eelco Visser. 2018. Specializing a Meta-Interpreter: JIT Compilation of DynSem Specifications on the Graal VM. In *15th International Conference on Managed Languages & Runtimes (ManLang'18), September 12–14, 2018, Linz, Austria*. ACM, New York, NY, USA, 14 pages. <https://doi.org/10.1145/3237009.3237018>

## 1 INTRODUCTION

The dynamic semantics of a programming language defines the run time execution behavior of programs in the language. Ideally,

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<https://doi.org/10.1145/3237009.3237018>

the design of a programming language starts with the specification of its dynamic semantics to provide a high-level readable and unambiguous definition. However, understanding the design of a programming language also requires experimentation by actually running programs. Therefore, this ideal route is rarely taken, but language designs are embodied in the implementation of interpreters or compilers instead.

We have previously designed DynSem [33], a high-level meta-DSL for dynamic semantics specifications of programming languages, with the aim of supporting readable *and* executable specification. It supports the definition of modular and concise semantics by means of reduction rules with implicit propagation of contextual information. DynSem's executable semantics entails that specifications can be used to interpret object language programs.

In our early prototypes, DynSem specifications were compiled to an interpreter. The process of generating a Java implementation of an interpreter and compiling that generated code caused long turnaround times during language prototyping. In order to support rapid prototyping with short turnaround times, we turned to interpreting specifications directly instead of compiling them. A DynSem interpreter is a *meta-interpreter* since the programs it interprets are themselves interpreters. Figure 1 depicts the high-level architecture of the DynSem meta-interpreter. First, a DynSem specification is desugared (explicated) to make implicit passing of semantic components explicit. The resulting specification in DynSem Core is then loaded into the meta-interpreter together with the AST of the interpreted object program. The interpreter consumes the program as input enacting the specification. This produces the desired result of a short turnaround time for experimenting with dynamic semantics specifications.

Meta-interpretation reduces the turnaround time at the expense of execution performance. At run time there are two interpreter layers operating (the meta-language interpreter and the object-language interpreter) which introduces substantial overhead. While we envision DynSem as a convenient way to prototype the dynamic semantics of programming languages, ultimately we also envision it as a convenient way to bridge the gap between the prototyping and production phases of a programming language's lifecycle. Thus, we not only want an interpreter fast, but we also want a fast interpreter, which raises the question: Can we achieve fast object-language interpreters by optimizing the meta-interpretation of dynamic semantics specifications?

Direct vanilla interpreters are in general slow to begin with, even when they are implemented in a host language that is JIT-ed. This is because the host JIT is unable to see patterns in the object language and to meaningfully optimize the interpreter. The task of optimizing an interpreter has traditionally been long and

# Scopes and Frames Improve Meta-Interpreter Specialization

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## Abstract

DynSem is a domain-specific language for concise specification of the dynamic semantics of programming languages, aimed at rapid experimentation and evolution of language designs. To maintain a short definition-to-execution cycle, DynSem specifications are meta-interpreted. Meta-interpretation introduces runtime overhead that is difficult to remove by using interpreter optimization frameworks such as the Truffle/Graal Java tools; previous work has shown order-of-magnitude improvements from applying Truffle/Graal to a meta-interpreter, but this is still far slower than what can be achieved with a language-specific interpreter. In this paper, we show how specifying the meta-interpreter using *scope graphs*, which encapsulate static name binding and resolution information, produces much better optimization results from Truffle/Graal. Furthermore, we identify that JIT compilation is hindered by large numbers of calls between small polymorphic rules and we introduce *rule cloning* to derive larger monomorphic rules at run time as a countermeasure. Our contributions improve the performance of DynSem-derived interpreters to within an order of magnitude of a handwritten language-specific interpreter.

2012 ACM Subject Classification Software and its engineering → Interpreters

Keywords and phrases Definitional interpreters, partial evaluation

Digital Object Identifier 10.4230/LIPIcs.ECOOP.2019.4

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Acknowledgements We thank the anonymous reviewers for their feedback on previous versions of this paper, and we thank Laurence Tratt for his guidance on obtaining reliable runtime measurements and analyzing the resulting time series.

## 1 Introduction

A *language workbench* [9, 36] is a computing environment that aims to support the rapid development of programming languages with a quick turnaround time for language design experiments. Meeting that goal requires that (a) turning a language design idea into an executable prototype is easy; (b) the delay between making a change to the language and starting to execute programs in the revised prototype is short; and (c) the prototype runs programs reasonably quickly. Moreover, once the language design has stabilized, we will need a way to run programs at production speed, as defined for the particular language and application domain.

A desirable property for programming languages is type safety: well-typed programs don't go wrong.

Demonstrating type safety for language implementations requires a proof. Such a proof is hard (at least tedious) for language models, and rarely done for language implementations.

Can we automatically check type safety for language implementations?

This paper shows how to do that at least for definitional interpreters for non-trivial languages. (By using scopes and frames to represent bindings.)

POPL 2018

<https://doi.org/10.1145/3158104>

## Intrinsically-Typed Definitional Interpreters for Imperative Languages

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A definitional interpreter defines the semantics of an object language in terms of the (well-known) semantics of a host language, enabling understanding and validation of the semantics through execution. Combining a definitional interpreter with a separate type system requires a separate type safety proof. An alternative approach, at least for pure object languages, is to use a dependently-typed language to encode the object language type system in the definition of the abstract syntax. Using such intrinsically-typed abstract syntax definitions allows the host language type checker to verify automatically that the interpreter satisfies type safety. Does this approach scale to larger and more realistic object languages, and in particular to languages with mutable state and objects?

In this paper, we describe and demonstrate techniques and libraries in Agda that successfully scale up intrinsically-typed definitional interpreters to handle rich object languages with non-trivial binding structures and mutable state. While the resulting interpreters are certainly more complex than the simply-typed  $\lambda$ -calculus interpreter we start with, we claim that they still meet the goals of being concise, comprehensible, and executable, while guaranteeing type safety for more elaborate object languages. We make the following contributions: (1) A *dependent-passing style* technique for hiding the weakening of indexed values as they propagate through monadic code. (2) An Agda library for programming with *scope graphs* and *frames*, which provides a uniform approach to dealing with name binding in intrinsically-typed interpreters. (3) Case studies of intrinsically-typed definitional interpreters for the simply-typed  $\lambda$ -calculus with references (STLC+Ref) and for a large subset of Middleweight Java (MJ).

CCS Concepts: • Theory of computation → Program verification; Type theory; • Software and its engineering → Formal language definitions;

Additional Key Words and Phrases: definitional interpreters, dependent types, scope graphs, mechanized semantics, Agda, type safety, Java

### ACM Reference Format:

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